Eighth Semester B.E. Degree Examination, June/July 2014

Control Engineering

Time: 3 hrs.

Max. Marks: 100

Note: Answer FIVE full questions, selecting at least TWO questions from each part.

<u>PART – A</u>

Distinguish between open-loop and closed loop systems with examples.

(05 Marks)

Explain the requirements of a control system.

(05 Marks)

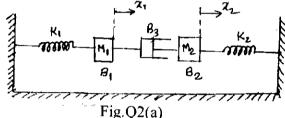
Explain following controller. State its characteristics:

i) Proportional plus derivative control action

ii) Proportional plus integral plus derivative control action.

(10 Marks)

Write the equilibrium equations for the mechanical system shown in Fig.Q2(a), hence obtain the F-I analogous system.

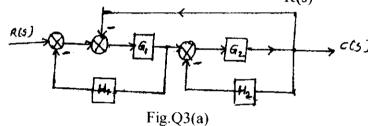


(10 Marks)

Obtain the transfer function of field controlled DC motor.

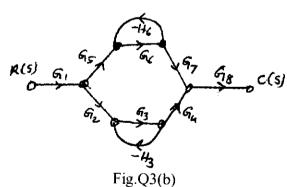
(10 Marks)

Reduce the block diagram and obtain its transfer function 3



(10 Marks)

by Mason's gain formula.



(10 Marks)

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- a. Obtain an expression for time response of the first order system subjected to unit step input.
 - Determine the damping ratio and natural frequency for the system whose maximum overshoot response is 0.2 and peak time is 1 sec. Find rise time and settling time. (06 Marks)
 - State whether the system is stable or unstable $s^6 + 2s^5 + 8s^4 + 12s^3 + 20s^2 + 16s + 16 = 0$ using Routh's stability criterion.

- a. Sketch the polar plot of TF $G(s)H(s) = \frac{1}{(1+5s)(1+10s)}$. (06 Marks)
 - b. Sketch the Nyquist plot for a system, whose transfer function, $G(s)H(s) = \frac{K}{s(s+4)(s+8)}$. Determine the range of values of K for which the system is stable.
- For a system $G(s)H(s) = \frac{242(s+5)}{s(s+1)(s^2+5s+121)}$, sketch the Bode plot. Find ω_{pc} and ω_{gc} , GM, 6 (20 Marks) PM. Comment on stability.
- For a unity feedback system, $G(s)H(s) = \frac{K}{s(s+4)(s+2)}$, sketch the rough nature of the root 7 (20 Marks) locus, showing all details on it.
- a. What is compensation? How are compensators classified? (06 Marks)
 - b. Write notes on:
 - i) Lead compensator
 - (08 Marks) ii) Lag compensator
 - c. A system is governed by the differential equation $\frac{d^3y}{dt^3} + 6\frac{d^2y}{dt^2} + 11\frac{dy}{dt} + 10y = 8u(t)$ where y is the output and u is the input of the system. Obtain a state space representation of the (06 Marks) system.